

# Chapter 4

## Motion in 1D straight line

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  - Equations of motion
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### PARAMETERS OF STRAIGHT-LINE MOTION

#### State of Rest & Motion

**Rest:** An object remains still when it doesn't shift from its spot compared to what's around it over time.

**Motion:** An object moves when its position shifts in relation to its surroundings and over time.

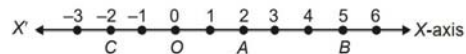
#### Frame of Reference

The location of an object is described in relation to a chosen standard frame.

Within this frame, an observer can determine the position of another object at any given moment, using a set coordinate system established within the frame.

for example,

The position of particle at O, A, B and C are Zero, +2, +5 and -2 respectively with respect to origin (O) of reference frame.



#### Point Object Position of a Particle Distance Displacement

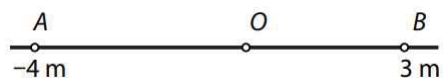
Position, displacement and distance

This module focuses solely on motion along a straight line. In the case of a horizontal line, there are two distinct directions: right and left. Similarly, for a vertical line, the directions are up and down. A point O is selected on the line, serving as the reference point or origin. Distance is measured in meters and time in seconds for convenience.

#### Position

The line is coordinated and referenced from a point O, known as the origin. Regarding a horizontal line, the convention dictates that positions to the right of O are considered positive, while positions to the left are negative.

**Ex.**



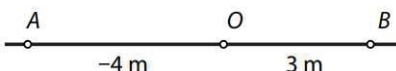
The position of the particle at B is 3 m.

The position of the particle at A is -4 m

The location of a particle is commonly conceptualized as a function of time, denoted by  $x(t)$ , where  $x(t)$  represents the position of the particle at time  $t$ .

**Displacement**

The displacement of a particle traveling along a straight line is defined as the difference in its position. When the particle moves from the position  $x(t_1)$  to  $x(t_2)$ , its displacement over the time interval  $[t_1, t_2]$  is represented by  $x(t_2) - x(t_1)$ . Essentially, the position of a particle is its displacement from the origin.

**Ex.**

If a particle moves from O to B, its displacement is 3 m.

If a particle moves from O to A, its displacement is  $-4$  m.

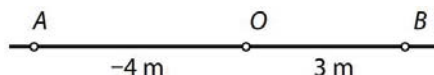
If a particle moves from A to B, its displacement is 7 m.

If a particle moves from B to A, its displacement is  $-7$  m.

Position and displacement are vector quantities, meaning they possess both magnitude and direction. This module focuses on vectors in one dimension. The direction of a quantity (positive or negative) is indicated by its sign, while its magnitude is represented by its absolute value.

**Distance**

Distance refers to the "total distance" covered, always non-negative. For instance, in the diagram provided, if a particle moves from A to B and then to O, the particle's displacement is 4 m, while the distance traveled is 10 m.

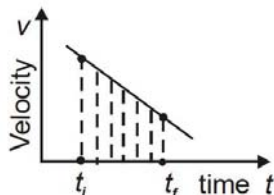


**Ex.** A particle moves along a straight line so that its position at time  $t$  seconds is  $x(t)$  meters, relative to the origin. Assume that  $x(0) = 0$ ,  $x(3) = 2$  and  $x(6) = -5$ , and that the particle only changes direction when  $t = 3$ . Find the distance travelled by the particle from time  $t = 0$  to time  $t = 6$ .

**Sol.** The distance travelled is  $2 + 7 = 9$  meters.

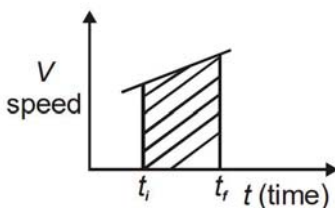
**Speed Velocity Position - Time Graph**

The area under speed-time graph between  $t_i$  and  $t_f$  gives distance covered by particle in the interval  $t_f - t_i$ .



Shaded area = displacement in time  $(t_f - t_i)$

The area under the velocity-time graph between  $t_i$  and  $t_f$  gives the displacement  $(x_f - x_i)$  between the two instants.



Shaded area = distance covered in time  $(t_f - t_i)$